

Lecture 10
Copyright © Sue Geller 2006

This week is working more problems and proving some theorems. So I will give some hints that I usually give in class.

Exercise 4.11: Go by (strong) induction on n this time. It breaks into cases of whether n is composite or a power of a prime. I needed a second induction for a power of a prime.

Exercise 4.12: Notice that, if $c_i M_i \equiv 1 \pmod{m_i}$, then $c_i M_i \equiv 0 \pmod{m_j}$, $j \neq i$.

Problem 10: Make an argument as to why you can work mod 20 and then work mod 20.

Problem 11: Euclidean algorithm

I hope these hints help. Feel free to email me with questions.