### Exam 2 Information

You are encouraged to double check this document to make sure that I didn't leave anything off.

# • Section 14.1

### Domain

Range for "nice" functions.

Sketch the domain of a two variable function in the xy-plane Level curves(Countour curves)

Level Surfaces.

# • Section 14.3

geometric interpretation of partial derivatives  $f_x$ ,  $f_y$ . computing partial derivatives. partial derivative notation. Higher order partial derivatives. Clairaut's Theorem

# • Section 14.4

tangent plane of a surface: z = f(x, y)

using partials to find the normal vector normal line to the tangent plane

#### Differentials

total differential

Linearization formula

- using differentials/Linearization to approximate a calculation.
- using differentials to approximate total change when input values have small adjustments, i.e. dx, dy,... are small.

# • Section 14.5

chain rule: case 1 and 2 related rate word problems implicit differentiation using chain rule

#### • Section 14.6

gradient vector directional derivatives using an angle  $\theta$ 

using a vector (needs to be unit) from one point to another point direction of max change (min change)

maximum(minimum) value of a directional derivative

Tangent plane to a level surface. i.e. F(x, y, z) = kusing partials to find the normal vector normal line to the tangent plane

# • Section 14.7

local max/local min

- location versus value
- finding critical points.
- second derivative test to classify critical points.
- doing algebra correctly

Max/min word problems.

Absolute maximum and absolute minimum.

location versus value

Method to find an absolute max/min on a closed and bounded region.

# • Section 14.8

Legrange Multipliers

how to use them to solve max/min word problems.

Any additional topic/information covered in these sections.