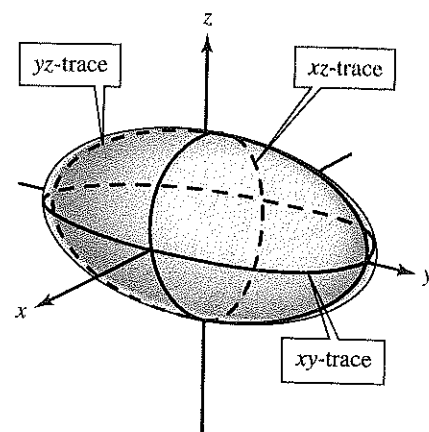

Ellipsoid

$$\frac{x^2}{a^2} + \frac{y^2}{b^2} + \frac{z^2}{c^2} = 1$$

Trace	Plane
Ellipse	Parallel to xy -plane
Ellipse	Parallel to xz -plane
Ellipse	Parallel to yz -plane

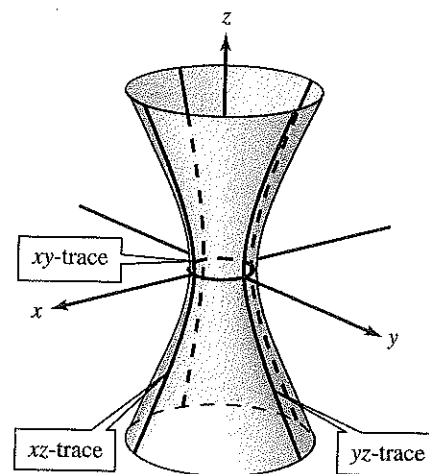
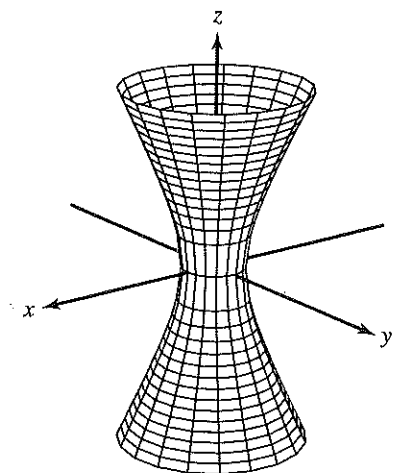
The surface is a sphere if $a = b = c \neq 0$.


Hyperboloid of One Sheet

$$\frac{x^2}{a^2} + \frac{y^2}{b^2} - \frac{z^2}{c^2} = 1$$

Trace	Plane
Ellipse	Parallel to xy -plane
Hyperbola	Parallel to xz -plane
Hyperbola	Parallel to yz -plane

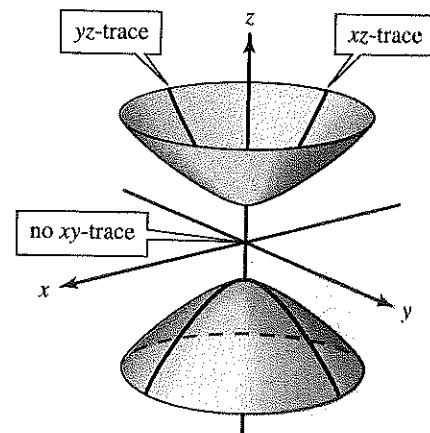
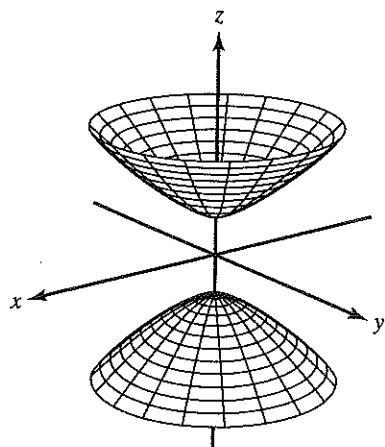
The axis of the hyperboloid corresponds to the variable whose coefficient is negative.

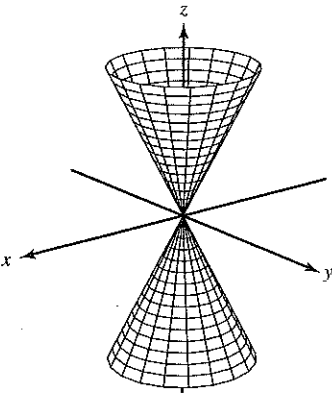
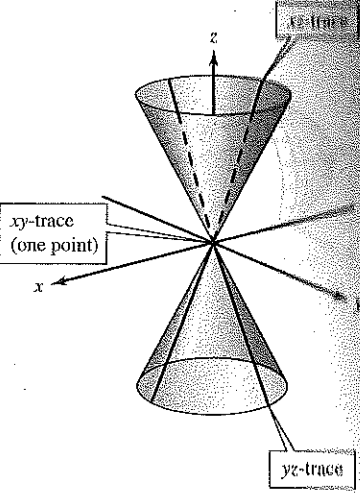
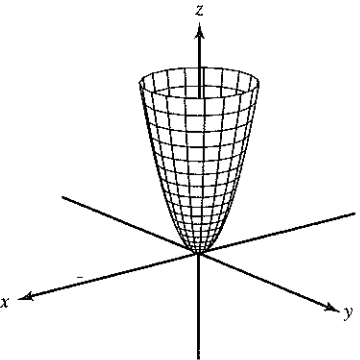
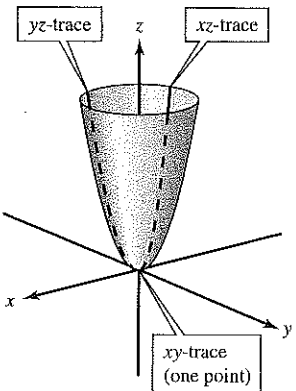
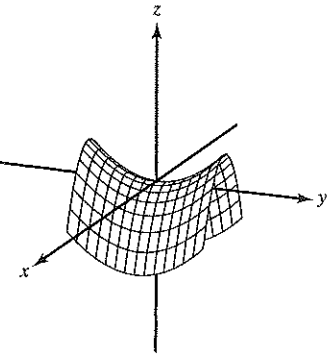

Hyperboloid of Two Sheets

$$\frac{z^2}{c^2} - \frac{x^2}{a^2} - \frac{y^2}{b^2} = 1$$

Trace	Plane
Ellipse	Parallel to xy -plane
Hyperbola	Parallel to xz -plane
Hyperbola	Parallel to yz -plane

The axis of the hyperboloid corresponds to the variable whose coefficient is positive. There is no trace in the coordinate plane perpendicular to this axis.



	<p style="text-align: center;">Elliptic Cone</p> $\frac{x^2}{a^2} + \frac{y^2}{b^2} - \frac{z^2}{c^2} = 0$ <p><i>Trace</i> <i>Plane</i></p> <p>Ellipse Parallel to <i>xy</i>-plane Hyperbola Parallel to <i>xz</i>-plane Hyperbola Parallel to <i>yz</i>-plane</p> <p>The axis of the cone corresponds to the variable whose coefficient is negative. The traces in the coordinate planes parallel to this axis are intersecting lines.</p>	
	<p style="text-align: center;">Elliptic Paraboloid</p> $z = \frac{x^2}{a^2} + \frac{y^2}{b^2}$ <p><i>Trace</i> <i>Plane</i></p> <p>Ellipse Parallel to <i>xy</i>-plane Parabola Parallel to <i>xz</i>-plane Parabola Parallel to <i>yz</i>-plane</p> <p>The axis of the paraboloid corresponds to the variable raised to the first power.</p>	
	<p style="text-align: center;">Hyperbolic Paraboloid</p> $z = \frac{y^2}{b^2} - \frac{x^2}{a^2}$ <p><i>Trace</i> <i>Plane</i></p> <p>Hyperbola Parallel to <i>xy</i>-plane Parabola Parallel to <i>xz</i>-plane Parabola Parallel to <i>yz</i>-plane</p> <p>The axis of the paraboloid corresponds to the variable raised to the first power.</p>	