

## Course Title: MATH 689 – A Transition to Graduate Level Mathematics

**Term:** Summer 2020 (10 weeks)

**Meeting times and location**: This is an online class. All references to times in this course are in the Central Time Zone.

## **Instructor Information:**

- Name: Oksana Shatalov
- **Telephone Number:** (1)979-862-1605
- Email address: <a href="mailto:shatalov@math.tamu.edu">shatalov@math.tamu.edu</a>
- **Office hours:** by appointment (by phone or via ZOOM)

**Course Description and Prerequisites:** A transitional course to bridge the gap between undergraduate work and graduate-level courses. *Prerequisites*: undergraduate Linear Algebra and Calculus or approval of instructor.

**Learning outcomes**: The course will be focused on important concepts and techniques in Linear Algebra and Analysis.

## **Textbooks:**

1. Ricardo, H. (2009). *A Modern Introduction to Linear Algebra*. New York: Chapman and Hall/CRC, <u>https://doi.org/10.1201/b16027</u>

2. Strang, G. (1991) *Calculus*. Wellesley-Cambridge Press.

3. (*recommended*) G. Chartrand, A. Polimeni, P. Zhang. (3rd or 4th edition) *Mathematical proofs: A Transition to Advanced Mathematics*.

Other reading materials will be posted on <u>eCampus</u> throughout the semester.

**Course Format, Technical Requirements and Support** This course is a 10-week asynchronous online course. Throughout the course, <u>eCampus</u> will be used as the primary venue for lectures, discussions, assignments, quizzes, and collaboration with classmates. You will need to participate in discussions and submit all assignments and projects via <u>eCampus</u>. Thus, it is necessary for you to be familiar with <u>eCampus</u> (the learning management system supported by TAMU). Please visit <u>http://ecampus.tamu.edu/student-help</u> for helpful student tutorials. In addition to accessing <u>eCampus</u> through <u>http://ecampus.tamu.edu/</u> you can find a link to <u>eCampus</u> in the <u>Howdy</u> portal. To access the system you will use your TAMU netid and password. Please contact me immediately if you are unable to access the course website. If you require more technical assistance, try Help Desk Central (<u>http://hdc.tamu.edu/</u> or 979-845-8300). Help Desk Central is open 24-hours each day, 7 days a week, 365 days a year.

**Time Frame** The first day of the online course is Tuesday, May 26, 2020 and the last day is Wednesday, August 5, 2020. For the purposes of this class, the "online week" will reset <u>at 10am on *Tuesdays*</u>. This means that one week of assignments will end on Tuesday at 10am and a new week of assignments will begin. Your final grades will be posted in <u>Howdy</u> at the end of the course, but your individual grades on assignments will be viewable in <u>eCampus</u> on a regular basis. Students are expected to follow the course outline and engage and participate in the activities outlined in each weekly lesson. Students are required to keep pace with class, follow the course outline, and complete necessary reading and assignments by the posted due dates. Due dates are expressed in day and hour CST (Central Standard Time). Students are responsible for adjusting due dates to their time zone.

**Communication Strategy:** There are several ways you can communicate with your fellow classmates and myself.

- *Email*: Email is the best way to contact me on an individual basis. I am easily accessible via <u>shatalov@math.tamu.edu</u>. I will do my best to respond to you within 24 hours of you email. I hope that I can respond quicker than 24 hours, but I can't guarantee a quick response all of the time, especially on the weekends. When emailing please BE SURE to put <u>Math 689</u> in the subject line.
- *Phone Appointment:* I am available for phone appointments. Please contact me via email to schedule a phone appointment.
- *Video Appointment:* I am available for video conferences using ZOOM (you can find a link to it in the <u>Howdy</u> portal.).
- *"Hello classmates, I need help!" Discussion Forum:* In <u>eCampus</u> there is a discussion forum titled *"Hello classmates, I need help!".* Use this forum to ask your classmates questions about work in the class or to clear up any confusion regarding class instructions, procedures, materials, or assignments.

*Netiquette:* Be sure to participate in a responsible and respectful way that is consistent with good academic practice. To learn about polite online behavior, or "netiquette", check the following link: <a href="http://albion.com/netiquette/corerules.html">http://albion.com/netiquette/corerules.html</a>. Violation of netiquette will result in your withdrawal form the class.

**Guidelines for Online Class Participation** Regular interaction online is strongly encouraged, and a portion of it is figured into your overall grade. Learning what other classmates know about mathematics and how they think about mathematics is a very valuable aspect in the learning process. It is good practice to log onto <u>eCampus</u> 4 to 5 times a week to check in and participate in discussions. A discussion board will be available for each weekly assignment and these discussion boards should be used as a platform for collaboration on assignments. There is also an option to subscribe to discussions so you receive notifications of new posts and replies.

**Grading Policy** Your final grade will be determined by your performance on the homework and two exams. The grade ingredients are:

Activity	%
Exam 1 and Exam 2	35%
Homework	60%
Participation	5%
-	
Total:	100%

• Grading Scale

Range	Grade
[90, 100]	А
[80, 90)	В
[70, 80]	С
[60, 70)	D
[0,60)	F

**Weekly Assignments** Each week throughout the course there will be individual assignments whereby each student will turn in their own solutions to a give problem set. When working on the individual assignments, you may email me, discuss with classmates via the discussion board (Hello classmates, I need help!), or look things up on the web or in a book, but you may not copy answers. You must write up your solutions in your own words, notation, and/or symbols; copying a solution from a source and referencing the source is still considered a violation of academic integrity because you are submitting work for a grade that is not your own work. If you use resources to complete your assignments, you must cite the source. For more information on plagiarism and

Aggie Code of Honor, see the section on Academic Integrity below. Weekly assignments are due on Tuesdays by 10am (CST).

*Turning in Homework:* When turning in your assignments please follow the guidelines below:

- 1. On each assignment you turn in, the submitted document must have your name, the due date of the assignment, and the assignment number.
- 2. Save the file as LastName\_Assignment#\_Math689.
- 3. You may choose one of two ways to turn-in your assignments:
  - (1) Type your solutions to the assignment in an electronic format of your choosing (Latex, Word, etc.), convert to a PDF, and then submit the PDF via <u>eCampus</u>.
  - (2) Write your assignment on paper and then scan the paper(s) as a merged PDF document. Then submit the merged PDF document via <u>eCampus</u>.
- 4. After submitting each assignment, be sure you check the submitted document to make sure the format in which you are turning in your assignment is readable (i.e. resolution is good, scan quality is clear, etc.). If it is not easily readable, your assignment **will not be accepted**. It is the responsibility of the student to turn in work that is readable by the grader.

Note that most of the time your assignments will be graded by the math department's graduate student. If you have questions on the grading of the assignments, please let me know and I'll help you or I will get you in contact with the grader.

<ul> <li>TOPIC</li> <li>1&amp;2 Real and complex vector spaces. Subspaces, linear independence, bases, dimension. Linear transformations and matrices. Kernel. Image. Determinant. Rank. Nullity- Rank theorem. Applications to systems of linear equations. Change of basis. Similarity.</li> <li>3 Eigenvalues and eigenvectors and their computation. The characteristic polynomial.</li> <li>1 Inner product spaces: real and complex inner products, orthonormal bases, Gram- Schmidt orthogonalization, orthogonal and unitary transformations, symmetric and Hermitian matrices, quadratic forms.</li> <li>Exam 1</li> <li>6 Functions and their representation (formula, graph, table). Limits. Continuity. Existence of extrema. Intermediate value theorem.</li> <li>7 Functions of one variable: differentiation, monotonicity and extrema, convexity and inflection, differential, linearization, Taylor's formula, anti-derivative (indefinite integration), definite (Riemann) integration, fundamental theorem of calculus, mean-value theorem.</li> <li>8 Sequences and series of numbers and functions, convergence.</li> <li>9 Ordinary differential equations (separable, exact, first order linear, second order linear with constant coefficients), applications.</li> <li>10 Multivariable calculus: partial derivatives, multiple integrals, line and surface integrals, vector calculus, inverse and implicit function theorems.</li> <li>Exam 2</li> <li>Attendance Policy: This is an asynchronous online course, so attendance will not be figured interval of the sector and sector and the provide and inflection with theorem on the present on the present of the present o</li></ul>				
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**Attendance Policy**: This is an asynchronous online course, so attendance will not be figured into your grade. University rules related to excused and unexcused absences are located on-line at <u>http://student-rules.tamu.edu/rule07</u>.

**Late Work Policy:** No late work is accepted for unexcused absences per Section 7.4 of the University Student Rules Policy.

**Make-up Policy:** Students may be excused from turning in an assignment for the reasons stated in Section 7.1 (http://student-rules.tamu.edu/rule7.htm) or other reason deemed appropriate by me (the instructor). To be excused you (the student) must notify me in writing (acknowledged e-mail message

is acceptable) prior to the date of absence if such notification is feasible. In cases where advance notification is not feasible (e.g. accident, or emergency) the student must provide notification by the end of the second working day after the absence. This notification should include an explanation of why notice could not be sent prior to the class. For approved excuses for missed assignments, an appropriate modified due date will be set by me (the instructor).

## Americans with Disabilities Act (ADA) Policy Statement:

The Americans with Disabilities Act (ADA) is a federal anti-discrimination statute that provides comprehensive civil rights protection for persons with disabilities. Among other things, this legislation requires that all students with disabilities be guaranteed a learning environment that provides for reasonable accommodation of their disabilities. If you believe you have a disability requiring an accommodation, please contact Disability Services, currently located in the Disability Services building at the Student Services at White Creek complex on west campus or call 979-845-1637. For additional information, visit <u>http://disability.tamu.edu</u>.

**Academic Integrity Statement:** AGGIE HONOR CODE "*An Aggie does not lie, cheat, or steal or tolerate those who do*". Upon accepting admission to Texas A&M University, a student immediately assumes a commitment to uphold the Honor Code, to accept responsibility for learning, and to follow the philosophy and rules of the Honor System. Students will be required to state their commitment on examinations, research papers, and other academic work. Ignorance of the rules does not exclude any member of the TAMU community from the requirements or the processes of the Honor System. For additional information please visit: <u>http://aggiehonor.tamu.edu/</u>.

**Scholastic Dishonesty:** Copying work done by others, either in class or out of class, looking on other students papers during exams or quizzes, having possession of unapproved information in your calculator, and/or having someone else do your work for you are all acts of scholastic dishonesty. These acts, and other acts that can be classified as scholastic dishonesty, will be prosecuted to the full extent allowed by University policy. Punishment can range from a zero on the assignment/quiz/exam to expulsion from the university. In any case of scholastic dishonesty, the student forfeits their right to Q-drop the class. In this class, collaboration on assignments, either in class or out of class, is forbidden unless permission to do so is granted by the instructor.

**Copyright Policy:** All printed materials disseminated in class or on the web are protected by Copyright laws. One copy (or download from the web) is allowed for personal use. Multiple copies or sale of any of these materials is strictly prohibited.

**Title IX and Statement on Limits to Confidentiality:** Texas A&M University and the College of Science are committed to fostering a learning environment that is safe and productive for all. University policies and federal and state laws provide guidance for achieving such an environment. Although class materials are generally considered confidential pursuant to student record policies and laws, University employees — including instructors — cannot maintain confidentiality when it conflicts with their responsibility to report certain issues that jeopardize the health and safety of our community. As the instructor, I must report (per Texas A&M System Regulation 08.01.01) the following information to other University offices if you share it with me, even if you do not want the disclosed information to be shared:

• Allegations of sexual assault, sexual discrimination, or sexual harassment when they involve TAMU students, faculty, or staff, or third parties visiting campus.

• These reports may trigger contact from a campus official who will want to talk with you about the incident that you have shared. In many cases, it will be your decision whether or not you wish to speak with that individual. If you would like to talk about these events in a more confidential setting, you are encouraged to make an appointment with the Student Counseling Service (https://scs.tamu.edu/).

• Students and faculty can report non-emergency behavior that causes them to be concerned at <u>http://tellsomebody.tamu.edu</u>.