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## Education and Employment:

| 1980-1985 | M.Sc. (Mathematics) <br> Supervisor: J. Szabados | Eötvös L. University, Budapest |
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| 1985-1987 | Research Assistant | Mathematics Institute, <br> Hungarian Academy of Sciences |
| 1987-1989 | Ph.D. (Mathematics) <br> Supervisor: P. Nevai | University of South Carolina |
| $1989-1992$ | Instructor | The Ohio State University |
| $1992-1993$ | NSERC International <br> Posdoctoral Fellow | Dalhousie University |
| Supervisor: P. Borwein | NSERC International | Simon Fraser University <br> Costdoctoral Fellow |
|  | Supervisor: P. Borwein For Experimental and <br> Constructive Mathematics |  |
| $1993-1995$ | Visiting Assistant Professor | The Ohio State University |

## Grants:

1991-1994 National Science Foundation, No. DMS-9024901
1996-2000 National Science Foundation, No. DMS-9623156
2000-2003 National Science Foundation, No. DMS-0070826

## Synergistic Activities:

Editor of Journal of Approximation Theory (1997-).
Editor of Mathematical Inequalities and Applications (1998-).
Editor of Analysis Mathematica (2016-)
Helping Editor of the Problem Session of the Amer. Math. Monthly (2002-2014).

PUBLICATIONS Tamás Erdélyi
August, 2023

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## Books:

1. P. Borwein \& T. Erdélyi, Polynomials and Polynomial Inequalities, Springer-Verlag, Graduate Texts in Mathematics, Volume 161, 486 p., New York, NY, 1995.

## Book Reviews, etc.:

1. T. Erdélyi, J. Prolla, Stone-Weierstrass, the Theorem, Springer-Verlag, J. Approx. Theory 78 (1994), 466.
2. T. Erdélyi \& P. Nevai, Books by George G. Lorentz, in: Mathematics from Leningrad to Austin, Volume 2, George G. Lorentz' selected works in real, functional, and numerical analysis. With contributions by Tamás Erdélyi, Paul Nevai, Colin Bennett and Hubert Berens. Edited by Rudolph A. Lorentz. Contemporary Mathematicians. Birkhäuser, Boston, Inc., Boston, MA, 1997.
3. T. Erdélyi, G.V. Milovanovic, D.S. Mitrinovic, \& Th.M. Rassias, Topics in Polynomials: Extremal Problems, Inequalities, Zeros, World Scientific, J. Approx. Theory $8 \mathbf{8}$ (1995), 471-472.
4. T. Erdélyi, J. Michael Steele, The Cauchy-Schwarz Master Class, Cambridge University Press, Cambridge, J. Approx. Theory 134 (2005), 287-289.
5. T. Erdélyi, Vladimir I. Gurariy \& Wolfgang Lusky, Geometry of Müntz Spaces and Related Questions, Springer, Berlin, 2005, Math. Reviews (2007 g).
6. T. Erdélyi, P. Komjáth \& V. Totik, Problems and Theorems in Classical Set Theory, Springer, 2006 Springer, Berlin, J. Approx. Theory (2008).

## Refereed Conference Proceedings:

1. T. Erdélyi, Pointwise estimates for derivatives of polynomials with restricted zeros, in: Haar Memorial Conference, J. Szabados \& K. Tandori, Eds., North-Holland, Amsterdam, 1987, pp. 329-343.
2. T. Erdélyi, The Remez inequality on the size of polynomials, in: Approximation Theory VI, C.K. Chui, L.L. Schumaker, \& J.D. Ward, Eds., Academic Press, Boston, 1989, pp. 243-246.
3. T. Erdélyi, J. Geronimo, P. Nevai, \& J. Zhang, A simple proof of "Favard Theorem" on the unit circle, in: Proc. Int'l Conf. on Functional Analysis and Approximation Theory, Atti Sem. Mat. Fis. Univ. Modena, XXXIX, 1991, pp. 551-556.
4. P. Borwein \& T. Erdélyi, Müntz's Theorem on compact subsets of positive measure, in Approximation Theory, Govil et al. (Eds.), Marcel Dekker, Inc. (1998), 115-131.
5. T. Erdélyi, Polynomials with Littlewood-type coefficient constraints, Approximation Theory X: Abstract and Classical Analysis, Charles K. Chui, Larry L. Schumaker, and Joachim Stöckler (Eds.), Vanderbilt University Press, Nashville, TN (2002), 153-196.
6. T. Erdélyi, Markov-Bernstein type inequalities for polynomials under Erdős-type constraints, Paul Erdős and his Mathematics I, Bolyai Society Mathematical Studies, 11, Gábor Halász, László Lovász, Dezső Miklós, and Vera T. Sós (Eds.), Springer Verlag, New York (2002), 219-239.
7. T. Erdélyi, A panorama ot Hungarian mathematics in the XXth century: extremal problems for polynomials, for the volume "A Panorama of Hungarian Mathematics in the XXth Century", János Horváth (Ed.), Springer Verlag, New York (2005), 119-156.
8. T. Erdélyi, Inequalities for exponential sums via interpolation and Turán-type reverse Markov inequalities, Frontiers in Interpolation and Approximation, dedicated to the memory of Ambikeshvar Sharma, Chapman \& Hall/CRC, Taylor \& Francis, New York, N.K. Govil, H.N. Mhaskar, Ram Mohapatra, Zuhair Nashed, J. Szabados (Eds.) (2006), 119-144.
9. T. Erdélyi, Newman's inequality for increasing exponential sums, Number Theory and Polynomials, Series: London Mathematical Society Lecture Note Series (No. 352), J. McKee and Ch. Smyth (Eds.) (2008).

## Published Papers (Refereed Journals):

10. T. Erdélyi, Pointwise estimates for the derivatives of a polynomial with real zeros, Acta Math. Hungar. 49 (1987), 219-235.
11. T. Erdélyi, Markov-type estimates for derivatives of polynomials of special type, Acta Math. Hungar. 51 (1988), 421-436.
12. T. Erdélyi \& J. Szabados, On polynomials with positive coefficients, J. Approx. Theory 54 (1988), 107-122.
13. T. Erdélyi, Markov-type estimates for the derivatives of constrained polynomials, Approx. Theory Appl. 4 (1988), 23-33.
14. T. Erdélyi \& J. Szabados, Bernstein-type inequalities for a class of polynomials, Acta Math. Hungar. 52 (1989), 237-251.
15. T. Erdélyi \& J. Szabados, On trigonometric polynomials with positive coefficients, Studia Sci. Math. Hungar. 24 (1989), 71-91.
16. T. Erdélyi, Markov-type estimates for certain classes of constrained polynomials, Constr. Approx. 5 (1989), 347-356.
17. T. Erdélyi, Weighted Markov-type estimates for the derivatives of constrained polynomials on $[0, \infty)$, J. Approx. Theory 58 (1989), 213-231.
18. T. Erdélyi, A Markov-type inequality for the derivatives of constrained polynomials, J. Approx. Theory 63 (1990), 321-334.
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21. T. Erdélyi, Nikolskii-type inequalities for generalized polynomials and zeros of orthogonal polynomials, J. Approx. Theory 67 (1991), 80-92.
22. T. Erdélyi, Bernstein and Markov type theorems for generalized nonnegative polynomials, Canad. J. Math. 43 (1991), 1-11.
23. P. Borwein \& T. Erdélyi, Notes on lacunary Müntz polynomials, Israel J. Math. 76 (1991), 183-192.
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26. T. Erdélyi, Remez-type inequalities on the size of generalized polynomials, J. London Math. Soc. 45 (1992), 255-264.
27. T. Erdélyi, A. Máté, \& P. Nevai, Inequalities for generalized nonnegative polynomials, Constr. Approx. 8 (1992), 241-255.
28. T. Erdélyi, Weighted Markov and Bernstein type inequalities for generalized nonnegative polynomials, J. Approx. Theory 68 (1992), 283-305.
29. T. Erdélyi \& P. Nevai, Generalized Jacobi weights, Christoffel functions and zeros of orthogonal polynomials, J. Approx. Theory 68 (1992), 111-132.
30. P. Borwein \& T. Erdélyi, Remez, Nikolskii, and Markov type inequalities for generalized nonnegative polynomials with restricted zeros, Constr. Approx. 8 (1992), 343-362.
31. T. Erdélyi, Remez-type inequalities and their applications, J. Comput. Appl. Math. 47 (1993), 167-210.
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78. T. Erdélyi, On the real part of ultraflat sequences of unimodular polynomials: consequences implied by the resolution of the Phase Problem, Math. Ann. 326 (2003), 489-498.
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81. T. Erdélyi, Markov-Bernstein type inequality for trigonometric polynomials with respect to doubling weights on $[-\omega, \omega]$, Constr. Approx. 19 (2003), 329-338.
82. D. Benko \& T. Erdélyi, Markov inequality for polynomials of degree $n$ with $m$ distinct
zeros, J. Approx. Theory 122 (2003), 241-248.
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86. T. Erdélyi \& H. Friedman, The number of certain integral polynomials and nonrecursive sets of integers, Part 1, Trans. Amer. Math. Soc. 357 (2005), 999-101.
87. T. Erdélyi, The full Müntz Theorem revisited, Constr. Approx. 21 (2005), 319-335.
88. T. Erdélyi, Bernstein-type inequalities for linear combinations of shifted Gaussians, Bull. London Math. Soc. 38 (2006), 124-138.
89. T. Erdélyi,, On the denseness of certain function spaces spanned by products, J. Func. Anal. 238 (2006), 463-470.
90. P. Borwein \& T. Erdélyi, Nikolskii-type inequalities for shift invariant function spaces, Proc. Amer. Math. Soc. 134 (2006), 3243-3246.
91. T. Erdélyi, Markov-Nikolskii-type inequalities for exponential sums on a finite interval, Adv. Math. 208 (2007), 135-146.
92. T. Erdélyi \& D. Lubinsky, Large sieve inequalities via subharmonic methods and the Mahler measure of Fekete polynomials, Canad. J. Math. 59 (2007), 730-741.
93. P. Borwein \& T. Erdélyi, Lower bounds for the number of zeros of cosine polynomials: a problem of Littlewood, Acta Arith. 128 (2007), 377-384.
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100. T. Erdélyi, Markov-Nikolskii type inequality for absolutely monotone polynomials of order $k$, Journal d'Analyse Math. 112 (2010), 369-381.
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cients in a finite set, Acta Arith. 176 (2016), no. 2, 177-200.
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142. T. Erdélyi, Improved results on the oscillation of the modulus of Rudin-Shapiro polynomials on the unit circle, Proc. Amer. Math. Soc. 151 (2023), 2733-2740.

## Accepted Papers:

## Submitted

143. T. Erdélyi, On the oscillation of the modulus of the Rudin-Shapiro polynomials around the middle of their ranges.
144. T. Erdélyi, J. Rosenblatt, \& R. Rosenblatt, The zero set of an electric field from a finite number of point charges: one, two, and three dimension.
145. T. Erdélyi, The $L_{q}$ norm of the Rudin-Shapiro polynomials on subarcs of the unit circle.

## Never Published in a Journal:

146. P. Borwein, W. Dykshoorn, T. Erdélyi, \& J. Zhang, Orthogonality and irrationality, This paper has been incorporated in Appendix 2 of my book with P. Borwein.
